

Name: Key

## 12-2 Skills Practice Statistics and Parameters

Identify the sample and the population for each situation. Then describe the sample statistic and the population parameter.

1. A restaurant randomly selects 10 patrons on Saturday night. The mean amount spent on beverages is then calculated for the sample.
  - Sample: 10 patrons
  - Population: Entire restaurant
  - Sample Statistic: mean of 10 patrons
  - Population Parameter: mean of entire restaurant
2. A veterinarian randomly selects 3 kittens from a litter. The mean weight of the 3 kittens is calculated.
  - Sample: 3 kittens
  - Population: The litter
  - Sample Statistic: mean of 3 kittens
  - Population Parameter: mean of the litter
3. A produce clerk randomly selects 20 bags of apples from a shipment and counts the total number of apples in each bag. The mean number of apples is calculated for the sample.
  - Sample: Total # of apples in the 20 bags
  - Population: The entire shipment
  - Sample Statistic: mean of ←
  - Population Parameter: mean of ←

Find and interpret the mean absolute deviation.

4. A researcher counts the number of river otters observed on each acre of land in a state park: {0, 10, 14, 6, 0, 8, 4}.  
 $\bar{x} = 6$   
 $MAD \bar{x} = 4$   
 $abs(L_i - \bar{x})$
5. A fisherman records the weight of each black bass he catches during a fishing trip: {12, 7, 8, 13, 6, 14}.  
 $\bar{x} = 10$   
 $MAD = 3$

Find and interpret the standard deviation of each set of data.

6. {10, 9, 11, 6, 9}

$$\bar{x} = 9$$

$$\sigma = 1.67$$

Data is  
close

7. {6, 8, 2, 3, 2, 9}

$$\bar{x} = 5$$

$$\sigma = 2.83$$

Data is  
spread out

8. {23, 18, 28, 36, 15}

$$\bar{x} = 24$$

$$\sigma = 7.5$$

Data is  
spread out

9. {44, 35, 40, 37, 43, 38, 40}

$$\bar{x} = 39.57$$

$$\sigma = 2.97$$

Data is  
close

10. A city councilor wants to know how much revenue the city would earn by installing parking meters on Main Street. He counts the number of cars parked on Main Street each weekday: {64, 79, 81, 53, 63}. Find and interpret the standard deviation.

$$\bar{x} = 68$$

$$\sigma = 10.55$$

Because the std dev. is small, the data  
is close, so the mean of 68 is a good representation  
of cars parked.