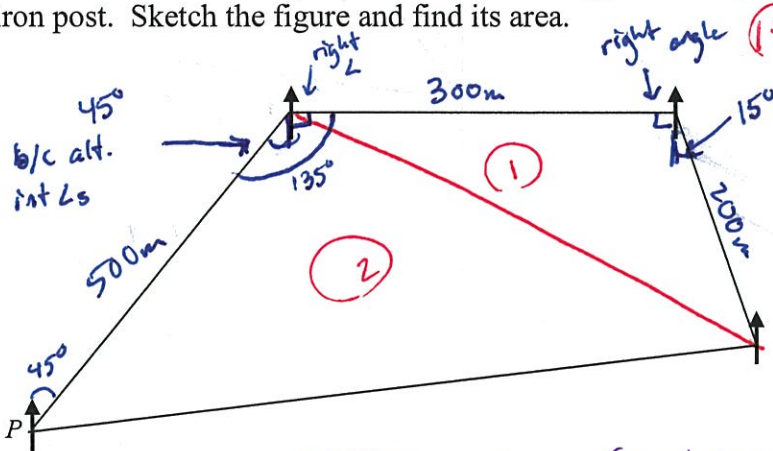


Name: Key

implies 45°

#### 4.7 Area of a quad. example

From an iron post, proceed 500 m northeast to the brook, then 300 m east along the brook to the old mill, then 200 m S15°E to a post on the edge of Wiggin's Road, and finally along Wiggin's Road back to the iron post. Sketch the figure and find its area.



$$x^2 = 300^2 + 200^2 - [2(300)(200)\cos 105^\circ]$$

$$\frac{\sin \angle Y}{200} = \frac{\sin 105^\circ}{401.3}$$

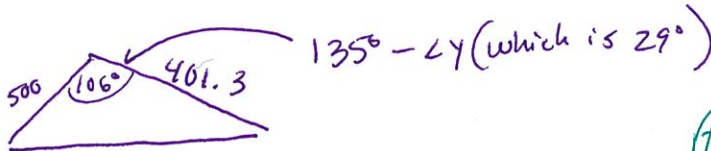
$$\angle Y = 29^\circ$$

Area of  $\Delta 1$ :

$$\frac{1}{2}(200)(300)\sin 105^\circ$$

$$28972.77479$$

Now:



$$\text{Area of } \Delta 2: \frac{1}{2}(500)(401.3)\sin 106^\circ$$

$$96443.54853$$

Area of Quad:

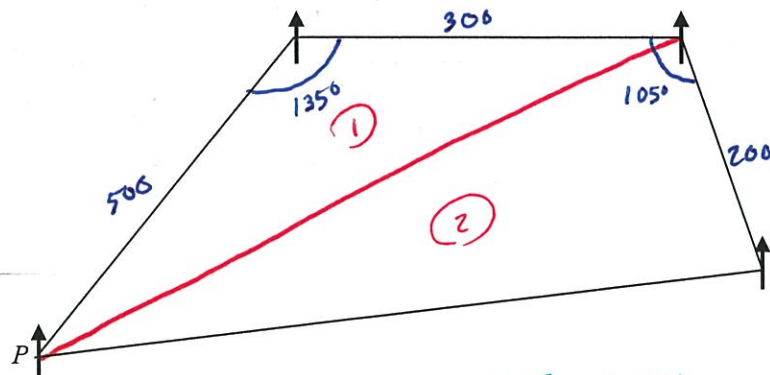
$$\Delta 1 + \Delta 2 = 125421.3233 \text{ units}^2$$

Name: \_\_\_\_\_

If you cut it this way:

#### 4.7 Area of a quad. example

From an iron post, proceed 500 m northeast to the brook, then 300 m east along the brook to the old mill, then 200 m S15°E to a post on the edge of Wiggin's Road, and finally along Wiggin's Road back to the iron post. Sketch the figure and find its area.



$$x^2 = 300^2 + 500^2 - [2(300)(500)\cos 135^\circ]$$

$$x = 743.1$$

$$\text{Area of } \Delta 1 = \frac{1}{2}(300)(500)\sin 135^\circ$$

$$= 53033.00859$$



$$\text{Area of } \Delta 2 = \frac{1}{2}(743.1)(200)\sin 77^\circ$$

$$= 72401.14017$$

Area of Quad:

$$\Delta 1 + \Delta 2 =$$

$$125434.1488 \text{ units}^2$$

$$\angle R: \frac{\sin R}{500} = \frac{\sin 135^\circ}{743.1}$$

$$\angle R = 28^\circ$$