

• Standards taught and Assessed thr	ough 3		_				-		_	40
Unit	1	2	3	4	5	6	7	8	9	10
Approximate Time Frames per Unit (in weeks)	4	3	3	4	3	5	3	3	2	3
Glencoe Course 3 Chapter(s)	2	1 & 8	1	5	4	3 & 9	3	6 & 7	9	9 & 10
Ratios and Proportion	al Rela	tionshii	os							
7.RP.Analyze proportional relationships and use them				nd mat	hemati	cal prob	lems.			
7.RP.A.1 Compute unit rates associated with ratios of fractions, including ratios of lengths,										
areas and other quantities measured in like or different units. For example, if a person walks										
1/2 mile in each 1/4 hour, compute the unit rate as the complex fraction 1/2/1/4 miles per										
hour, equivalently 2 miles per hour.										ļ
7.RP.A.2a Recognize and represent proportional relationships between quantities.										
a. Decide whether two quantities are in a proportional relationship, e.g., by testing for										
equivalent ratios in a table or graphing on a coordinate plane and observing whether the										
graph is a straight line through the origin.										
7.RP.A.2b Recognize and represent proportional relationships between quantities.										
b. Identify the constant of proportionality (unit rate) in tables, graphs, equations, diagrams, and verbal descriptions of proportional relationships.										
7.RP.A.2c Recognize and represent proportional relationships between quantities.										
c. Represent proportional relationships by equations. For example, if total cost t is proportional to the number n of items purchased at a constant price p, the relationship										
between the total cost and the number of items can be expressed as t = pn.										
7.RP.A.2d Recognize and represent proportional relationships between quantities.										†
d. Explain what a point $(x, y)$ on the graph of a proportional relationship means in terms of										
the situation, with special attention to the points $(0, 0)$ and $(1, r)$ where $r$ is the unit rate.										
7.RP.A.3 Use proportional relationships to solve multistep ratio and percent problems.										
Examples: simple interest, tax, markups and markdowns, gratuities and commissions, fees,										•
percent increase and decrease, percent error.										
The Number	System									
7.NS.A Apply and extend previous underst	anding	s of ope	eration	s with f	raction	S.				
7.NS.A.1a Apply and extend previous understandings of addition and subtraction to add and										
subtract rational numbers; represent addition and subtraction on a horizontal or vertical										
number line diagram.										
a. Describe situations in which opposite quantities combine to make 0.										ļ
7.NS.A.1b Apply and extend previous understandings of addition and subtraction to add and subtract rational numbers; represent addition and subtraction on a horizontal or vertical										
number line diagram.										
b. Understand $p + q$ as the number located a distance $abs(q)$ from $p$ , in the positive or										
negative direction depending on whether $q$ is positive or negative. Show that a number and										
its opposite have a sum of 0 (are additive inverses). Interpret sums of rational numbers by										
describing real-world contexts.										
7.NS.A.1c Apply and extend previous understandings of addition and subtraction to add and										
subtract rational numbers; represent addition and subtraction on a horizontal or vertical number line diagram.										
c. Understand subtraction of rational numbers as adding the additive inverse, $p - q = p + (-$										
q). Show that the distance between two rational numbers on the number line is the absolute										
value of their difference, and apply this principle in real-world contexts.										
7.NS.A.1d Apply and extend previous understandings of addition and subtraction to add and										
subtract rational numbers; represent addition and subtraction on a horizontal or vertical										
number line diagram.										
d. Apply properties of operations as strategies to add and subtract rational numbers.										
7.NS.A.2a Apply and extend previous understandings of multiplication and division and of fractions to multiply and divide rational numbers.										
a. Understand that multiplication is extended from fractions to rational numbers by requiring										
that operations continue to satisfy the properties of operations, particularly the distributive										
property, leading to products such as (-1)(-1)=1 and the rules for multiplying signed										
numbers. Interpret products of rational numbers by describing real-world contexts.										
7.NS.A.2b Apply and extend previous understandings of multiplication and division and of										
fractions to multiply and divide rational numbers.  b. Understand that integers can be divided, provided that the divisor is not zero, and every		_								
quotient of integers (with non-zero divisor) is a rational number. If $p$ and $q$ are integers, then		-								
-(p/q)=p/(-q). Interpret quotients of rational numbers by describing real-world contexts.										
7.NS.A.2c Apply and extend previous understandings of multiplication and division and of										
fractions to multiply and divide rational numbers.										
c. Apply properties of operations as strategies to multiply and divide rational numbers.										
7.NS.A.2d Apply and extend previous understandings of multiplication and division and of										
fractions to multiply and divide rational numbers.										
d. Convert a rational number to a decimal using long division; know that the decimal form of										
a rational number terminates in 0s or eventually repeats.	L	1	l	1	1	1		1		



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7.NS.A.3 Solve real-world and mathematical problems involving the four operations with rational numbers.		•								
The Number	Systom									
8.NS.A Know that there are numbers that are not ratio		l appro	ximate	them b	v ratior	nal num	nbers.			
8.NS.A.1 Know that numbers that are not rational are called irrational. Understand		- чррго								
informally that every number has a decimal expansion; for rational numbers show that the decimal expansion repeats eventually, and convert a decimal expansion which repeats eventually into a rational number.		•								
<b>8.NS.A.2</b> Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them approximately on a number line diagram, and estimate the value of expressions (e.g., $\pi^2$ ). For example, by truncating the decimal expansion of $\sqrt{2}$ , show that $\sqrt{2}$ is between 1 and 2, then between 1.4 and 1.5, and explain how to continue on to get better approximations.		•	•							
Expressions & I	quatio	ns			•					
7.EE.A Use properties of operations to	generat	e equiv	valent e	xpress	ions.					
7.EE.A.1 Apply properties of operations as strategies to add, subtract, factor, and expand linear expressions with rational coefficients.										
<b>7.EE.A.2</b> Understand that rewriting an expression in different forms in a problem context can shed light on the problem and how the quantities in it are related. For example, $a + 0.05a = 1.05a$ means that "increase by 5%" is the same as "multiply by 1.05."										
7.EE.B Solve real-life and mathematical problems using n	umeric	al and a	algebra	ic expr	essions	and e	quatior	ıs.		
7.EE.B.3 Solve multi-step real-life and mathematical problems posed with positive and negative rational numbers in any form (whole numbers, fractions, and decimals), using tools strategically. Apply properties of operations to calculate with numbers in any form; convert between forms as appropriate; and assess the reasonableness of answers using mental computation and estimation strategies. For example: If a woman making \$25 an hour gets a 10% raise, she will make an additional 1/10 of her salary an hour, or \$2.50, for a new salary of \$27.50. If you want to place a towel bar 9 3/4 inches long in the center of a door that is 27 1/2 inches wide, you will need to place the bar about 9 inches from each edge; this estimate can be used as a check on the exact computation.	•									
<b>7.EE.B.4a</b> Use variables to represent quantities in a real-world or mathematical problem, and construct simple equations and inequalities to solve problems by reasoning about the quantities. <b>a.</b> Solve word problems leading to equations of the form $px + q = r$ and $p(x + q) = r$ , where $p$ , $q$ , and $r$ are specific rational numbers. Solve equations of these forms fluently. Compare an algebraic solution to an arithmetic solution, identifying the sequence of the operations used in each approach. For example, the perimeter of a rectangle is 54 cm. Its length is 6 cm. What is its width?	•									
<b>7.EE.B.4b</b> Use variables to represent quantities in a real-world or mathematical problem, and construct simple equations and inequalities to solve problems by reasoning about the quantities. b. Solve word problems leading to inequalities of the form $px + q > r$ or $px + q < r$ , where p, q, and r are specific rational numbers. Graph the solution set of the inequality and interpret it in the context of the problem. For example: As a salesperson, you are paid \$50 per week plus \$3 per sale. This week you want your pay to be at least \$100. Write an inequality for the number of sales you need to make, and describe the solutions.	•									
Expressions & I										
8.EE.A Expressions and equations work v 8.EE.A.1 Know and apply the properties of integer exponents to generate equivalent	vith rad	icals ai	nd integ	ger exp	onents.					
numerical expressions. For example, $3^2 \times 3^{-5} = 3^{-3} = 1/3^3 = 1/27$ .		•	•							
<b>8.EE.A.2</b> Use square root and cube root symbols to represent solutions to equations of the form $x^2 = p$ and $x^3 = p$ , where $p$ is a positive rational number. Evaluate square roots of small perfect squares and cube roots of small perfect cubes. Know that $\sqrt{2}$ is irrational.		•	•							
8.EE.A.3 Use numbers expressed in the form of a single digit times an integer power of 10 to estimate very large or very small quantities, and to express how many times as much one is than the other. For example, estimate the population of the United States as 3 times 10 <sup>9</sup> and the population of the world as 7 times 10 <sup>9</sup> , and determine that the world population is more than 20 times larger.			•							
8.EE.A.4 Perform operations with numbers expressed in scientific notation, including problems where both decimal and scientific notation are used. Use scientific notation and choose units of appropriate size for measurements of very large or very small quantities (e.g., use millimeters per year for seafloor spreading). Interpret scientific notation that has been generated by technology			<b>*</b>							



Unit	1 1	2	3	4	5	6	7	8	9	10
8.EE.B Understand the connections between proport	ional re					_	one	0	9	10
8.EE.B.5 Graph proportional relationships, interpreting the unit rate as the slope of the	lonai re	ialions	ilips, ii	iles, all	lu iiiieai	equali	0115.			
graph. Compare two different proportional relationships represented in different ways. For										
example, compare a distance-time graph to a distance-time equation to determine which of						•				
two moving objects has greater speed.										
8.EE.B.6 Use similar triangles to explain why the slope m is the same between any two										
distinct points on a non-vertical line in the coordinate plane; derive the equation y = mx for a						<b>^</b>				
line through the origin and the equation $y = mx + b$ for a line intercepting the vertical axis at $b$ .						•				
8.EE.C Analyze and solve linear equations and	l naire	of eimu	Itanaoi	ıe lines	r equat	ione				
8.EE.C.7a Solve linear equations in one variable.	l pairs	Ji Siiiiu	lanco	us iiiiea	equat	10113.				
a. Give examples of linear equations in one variable with one solution, infinitely many										
solutions, or no solutions. Show which of these possibilities is the case by successively										
transforming the given equation into simpler forms, until an equivalent equation of the							•			
form $x = a$ , $a = a$ , or $a = b$ results (where $a$ and $b$ are different numbers).										
8.EE.C.7b Solve linear equations in one variable.										
b. Solve linear equations with rational number coefficients, including equations whose solutions require expanding expressions using the distributive property and collecting like	•									
terms.							•			
8.EE.C.8a Analyze and solve pairs of simultaneous linear equations.										
a. Understand that solutions to a system of two linear equations in two variables correspond										
to points of intersection of their graphs, because points of intersection satisfy both equations							•			
simultaneously.										
8.EE.C.8b Analyze and solve pairs of simultaneous linear equations.										
b. Solve systems of two linear equations in two variables algebraically, and estimate										
solutions by graphing the equations. Solve simple cases by inspection. For example, $3x + 2y = 5$ and $3x + 2y = 6$ have no solution because $3x + 2y$ cannot simultaneously be 5 and 6.										
8.EE.C.8c Analyze and solve pairs of simultaneous linear equations.										
c. Solve real-world and mathematical problems leading to two linear equations in two										
variables. For example, given coordinates for two pairs of points, determine whether the line							•			
through the first pair of points intersects the line through the second pair.										
Function	18									
8.F.A Define, evaluate, and	compa	are fund	ctions.							
8.F.A.1 Understand that a function is a rule that assigns to each input exactly one output.										
The graph of a function is the set of ordered pairs consisting of an input and the					•					
corresponding output.  8.F.A.2 Compare properties of two functions each represented in a different way										
(algebraically, graphically, numerically in tables, or by verbal descriptions). For example,					_					
given a linear function represented by a table of values and a linear function represented by					•					
an algebraic expression, determine which function has the greater rate of change.										
<b>8.F.A.3</b> Interpret the equation $y = mx + b$ as defining a linear function, whose graph is a										
straight line; give examples of functions that are not linear. For example, the function A =										
s <sup>2</sup> giving the area of a square as a function of its side length is not linear because its graph					•					
contains the points (1,1), (2,4) and (3,9), which are not on a straight line.										
8.F.B Use functions to model relati	onehin	s hetwe	aan aus	antities		<u> </u>				
8.F.B.4 Construct a function to model a linear relationship between two quantities.	Unamp	3 DELWE	l que		•	l				
Determine the rate of change and initial value of the function from a description of a										
relationship or from two $(x, y)$ values, including reading these from a table or from a graph.										
Interpret the rate of change and initial value of a linear function in terms of the situation it					•					
models, and in terms of its graph or a table of values.										
8.F.B.5 Describe qualitatively the functional relationship between two quantities by										
analyzing a graph (e.g., where the function is increasing or decreasing, linear or nonlinear). Sketch a graph that exhibits the qualitative features of a function that has been described										
verbally.										
Geomet	rv			<u> </u>		<u> </u>				
8.G.A Understand congruence and similarity using phys		dels. tra	ansnar	encies	or geo	metry s	oftwar	е.		
8.G.A.1a Verify experimentally the properties of rotations, reflections, and translations:				1	J. 300			_		
a. Lines are taken to lines, and line segments to line segments of the same length.								•		
8.G.A.1b Verify experimentally the properties of rotations, reflections, and translations:										
b. Angles are taken to angles of the same measure.										
8.G.A.1c Verify experimentally the properties of rotations, reflections, and translations:										
c. Parallel lines are taken to parallel lines.		-						<u> </u>		
8.G.A.2 that a two-dimensional figure is congruent to another if the second can be obtained from the first by a sequence of rotations, reflections, and translations; given two congruent										
figures, describe a sequence that exhibits the congruence between them.										
B.G.A.3 Describe the effect of dilations, translations, rotations, and reflections on two-										
dimensional figures using coordinates.	<u> </u>	<u> </u>	<u> </u>							
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8.G.A.4 Understand that a two-dimensional figure is similar to another if the second can be										
obtained from the first by a sequence of rotations, reflections, translations, and dilations;										
given two similar two-dimensional figures, describe a sequence that exhibits the similarity								_		
between them.										
8.G.A.5 Use informal arguments to establish facts about the angle sum and exterior angle										
of triangles, about the angles created when parallel lines are cut by a transversal, and the										
angle-angle criterion for similarity of triangles. For example, arrange three copies of the										
same triangle so that the sum of the three angles appears to form a line, and give an										
argument in terms of transversals why this is so.										
8.G.B Understand and apply the	e Pyth	agorea	n theor	em.						
8.G.B.6 Explain a proof of the Pythagorean Theorem and its converse.										
				•						
8.G.B.7 Apply the Pythagorean Theorem to determine unknown side lengths in right										
triangles in real-world and mathematical problems in two and three dimensions.										
8.G.B.8 Apply the Pythagorean Theorem to find the distance between two points in a										
coordinate system.										
8.G.C Solve real-world and mathematical problems inv	olving	volume	of cyli	nders,	cones,	and sp	heres.			
8.G.C.9 Know the formulas for the volumes of cones, cylinders, and spheres and use them							1			
to solve real-world and mathematical problems.										
Statistics & Pr	obabilit	ty								
7.SP.A Use random sampling to draw	inferer	nces ab	out a p	opulati	on.					
7.SP.A.1 Understand that statistics can be used to gain information about a population by				1						
examining a sample of the population; generalizations about a population from a sample are										
valid only if the sample is representative of that population. Understand that random										
sampling tends to produce representative samples and support valid inferences.										
7.SPA2 Use data from a random sample to draw inferences about a population with an										
unknown characteristic of interest. Generate multiple samples (or simulated samples) of the										
same size to gauge the variation in estimates or predictions. For example, estimate the										
mean word length in a book by randomly sampling words from the book; predict the winner										
of a school election based on randomly sampled survey data. Gauge how far off the										
estimate or prediction might be.										
7.SP.B Draw informal comparative inf	erence	s about	two po	pulation	ns.					
7.SP.B.3 Informally assess the degree of visual overlap of two numerical data distributions										
with similar variabilities, measuring the difference between the centers by expressing it as a										
multiple of a measure of variability. For example, the mean height of players on the										
basketball team is 10 cm greater than the mean height of players on the soccer team, about										
twice the variability (mean absolute deviation) on either team; on a dot plot, the separation										
between the two distributions of heights is noticeable.										
7.SP.B.4 Use measures of center and measures of variability for numerical data from										
random samples to draw informal comparative inferences about two populations. For										
example, decide whether the words in a chapter of a seventh-grade science book are generally longer than the words in a chapter of a fourth-grade science book.										
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7.SP.C.5 Understand that the probability of a chance event is a number between 0 and 1	erences	s about	two po	pulatio	ms.	1		ı	ı	
that expresses the likelihood of the event occurring. Larger numbers indicate greater										
likelihood. A probability near 0 indicates an unlikely event, a probability around 1/2 indicates										
an event that is neither unlikely nor likely, and a probability near 1 indicates a likely event.										
7.SP.C.6 Approximate the probability of a chance event by collecting data on the chance										
process that produces it and observing its long-run relative frequency, and predict the										
approximate relative frequency given the probability. For example, when rolling a number										
cube 600 times, predict that a 3 or 6 would be rolled roughly 200 times, but probably not										
exactly 200 times.										
7.SP.C.7 Develop a probability model and use it to find probabilities of events. Compare										
probabilities from a model to observed frequencies; if the agreement is not good, explain										
possible sources of the discrepancy.										
a. Develop a uniform probability model by assigning equal probability to all outcomes, and										
use the model to determine probabilities of events. For example, if a student is selected at										
random from a class, find the probability that Jane will be selected and the probability that a							1			
girl will be selected.										
7.SP.C.7 Develop a probability model and use it to find probabilities of events. Compare										
probabilities from a model to observed frequencies; if the agreement is not good, explain							1			
possible sources of the discrepancy.							'			
b. Develop a probability model (which may not be uniform) by observing frequencies in data							'			
generated from a chance process. For example, find the approximate probability that a							'		1	
spinning penny will land heads up or that a tossed paper cup will land open-end down. Do							'			
the outcomes for the spinning penny appear to be equally likely based on the observed							'		1	
frequencies?										
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7.SP.C.8 Find probabilities of compound events using organized lists, tables, tree diagrams,										
and simulation.										
a. Understand that, just as with simple events, the probability of a compound event is the										
fraction of outcomes in the sample space for which the compound event occurs.										
<b>7.SP.C.8</b> Find probabilities of compound events using organized lists, tables, tree diagrams,										
and simulation.										_
b. Represent sample spaces for compound events using methods such as organized lists,										•
tables and tree diagrams. For an event described in everyday language (e.g., "rolling double										
sixes"), identify the outcomes in the sample space which compose the event.										
7.SP.C.8 Find probabilities of compound events using organized lists, tables, tree diagrams,										
and simulation.										
c. Design and use a simulation to generate frequencies for compound events For										
example, use random digits as a simulation tool to approximate the answer to the question:										_
If 40% of donors have type A blood, what is the probability that it will take at least 4 donors										
to find one with type A blood?										
Statistics and Pr										
8.SP.A Investigate patterns of as	sociatio	on in bi	variate	data.						
8.SP.A.1 Construct and interpret scatter plots for bivariate measurement data to investigate						_				
patterns of association between two quantities. Describe patterns such as clustering,						•				
outliers, positive or negative association, linear association, and nonlinear association.										
8.SP.A.2 Know that straight lines are widely used to model relationships between two										
quantitative variables. For scatter plots that suggest a linear association, informally fit a										
straight line, and informally assess the model fit by judging the closeness of the data points										
to the line.										
8.SP.A.3 Use the equation of a linear model to solve problems in the context of bivariate										
measurement data, interpreting the slope and intercept. For example, in a linear model for a										
biology experiment, interpret a slope of 1.5 cm/hr as meaning that an additional hour of										
sunlight each day is associated with an additional 1.5 cm in mature plant height.										
8.SP.A.4 Understand that patterns of association can also be seen in bivariate categorical										
data by displaying frequencies and relative frequencies in a two-way table. Construct and										
interpret a two-way table summarizing data on two categorical variables collected from the										
same subjects. Use relative frequencies calculated for rows or columns to describe possible										
association between the two variables. For example, collect data from students in your class										
on whether or not they have a curfew on school nights and whether or not they have assigned chores at home. Is there evidence that those who have a curfew also tend to have										
chores?										
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